



## MODEL OF THE PROCESS OF OPERATING RAIL TRANSPORT MEANS

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### INTRODUCTION

Increasing degree of automation of production and service processes as well as technical and technical progress and others in the data structure.

Both obsolete technological devices that are damaged, their emergency components, as well as planned serviced maintenance and reconstruction of usable potential (repairs) in a way depending on the impact on the efficiency of the availability of economic services. Increasingly, in the use of machines (in enterprises), computer systems are introduced to support maintenance services. One of the basic functions of computer programs supporting traffic handling is the registration of data on the operation of machines. After the implementation of this type of system, you can automatically generate periodic reports containing various types of main applications, including those defined by the software. Similar processes have been described (Łukasiewicz 2018 and Ligaj 2018)

Therefore, there is a possibility to influence the system's ability to perform undertaken transport tasks. Therefore, there is a need to assess (forecast) the impact of actions taken in the system on the operation process and system behavior. In connection with the above, a method of building a model of the exploitation process was developed, the study of which allows forecasting the impact of selected decision variants on the course of the analyzed process (Landowski 2004 and 2016).



Fig. 1. Studied objects

<https://gorzowianin.com/data/galeria/45675.jpg>

### A HOMOGENEOUS MARKOV PROCESS AS AN EXAMPLE OF AN ANALYSIS OF THE USE PROCESS

The mathematical process of tram processing is the stochastic process  $\{X(t), t \geq 0\}$ . The analyzed stochastic process  $\{X(t), t \geq 0\}$  has a finite phase space  $S, S = \{S_1, S_2, \dots, S_n\}$ . It was assumed that the model's operation is subject to a homogeneous Markov process  $\{X(t): t \in R^+\}$  with a finite set of positions  $S$ . States analyzed process of the stochastic distinguished condition of the distinguished operational state of the vehicle. Using a homogeneous Markov process for mathematical modeling of the use process, the basic assumption was made that this process is good enough, from the point of view of the research objective, maps the modeled real use process same as (Muślewski 2015 and 2018).

As a result of the identification of the system of public transport trams and the exploitation process implemented in it, many operational states of the vehicle were identified that are relevant for the analysis of the operation of the examined system. For the purposes of illustration of the considerations among the states, the following tram operating states were analyzed (Landowski 2004 and 2017):

$S_1$  - state of use - a state in which a streetcar with an operator performing the assigned transport tasks;

$S_2$  - service status in the airworthiness subsystem that occurs when,

$S_3$  - the state of waiting for the implementation of transport tasks at the beginning or end stops

$S_4$  - waiting for the implementation of transport tasks in the tram depot.

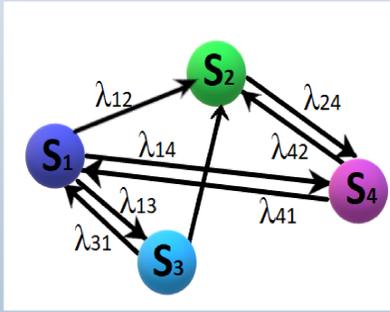


Fig. 2. Graph directed operating systems

Possible transitions between the distinguished operating states of the tram were determined and illustrated in Fig. 2. For the distinguished operating tables evaluated the intensity matrix of process changes  $\{X(t), t \in T\}$  (Landowski 2018 in *Numerical simulation...*).

By  $P_i(t) = P\{X(t) = S_i\}$ , the answer indicates that at time  $t$  process  $\{X(t), t \geq 0\}$  appears in the state  $S_i \in S$ . It was assumed that the initial state process  $X(t)$  is the state  $S_1$ , i.e. the initial distribution of the analyzed process is in the form (Landowski 2004 and Landowski 2018 in *Method for initial...*):

$$P\{X(0) = S_1\} = 1 \quad (1)$$

$$P\{X(0) = S_i\} = 0 \text{ dla } i \neq 1, S_i \in S \quad (2)$$

The intensities  $\lambda_{i,j}$ ,  $i, j = 1, 2, 3, 4$  changes of process states  $\{X(t), t \geq 0\}$  from the state  $S_i \in S$  to the state  $S_j \in S$  are included in the transition matrix  $\Lambda$

$$\Lambda = \begin{pmatrix} -\lambda_{11} & \lambda_{12} & \lambda_{13} & \lambda_{14} \\ 0 & -\lambda_{22} & 0 & \lambda_{24} \\ \lambda_{31} & \lambda_{32} & -\lambda_{33} & 0 \\ \lambda_{41} & \lambda_{42} & 0 & -\lambda_{44} \end{pmatrix}$$

After simplifying the entry, the transition intensity matrix  $\Lambda$  allows you to build a system of differential equations of the form:

$$\begin{cases} P_1(t) = -\lambda_{11} P_1(t) + \lambda_{31} P_3(t) + \lambda_{41} P_4(t) \\ P_2(t) = \lambda_{12} P_1(t) - \lambda_{22} P_2(t) + \lambda_{32} P_3(t) + \lambda_{42} P_4(t) \\ P_3(t) = \lambda_{13} P_1(t) - \lambda_{33} P_3(t) \\ P_4(t) = \lambda_{14} P_1(t) + \lambda_{24} P_2(t) - \lambda_{44} P_4(t) \end{cases} \quad (3)$$

In order for the system of equations (3) to have an unambiguous solution, the initial conditions determined by the relations (1) and (2) should be assumed. For the analyzed process  $\{X(t), t \geq 0\}$  there is a stationary process distribution that does not depend on the initial distribution:

$$\lim_{t \rightarrow \infty} P_i(t) = p_i^* \quad (4)$$

The stationary probabilities  $p_i^*$  meet the system of equations:

$$\begin{cases} \sum_{i=1}^n p_i^* \cdot \lambda_{ij} = 0 \\ \sum_{i=1}^n p_i^* = 1 \end{cases} \quad (5)$$

Based on the normalizing condition and the designated matrix  $\Lambda$  a system of equations was determined whose detailed solution is presented in the literature (Landowski, 2018)

### CONCLUSIONS

Analysis of changes in the probability values  $P_i(t)$  for all calculation variants shows that these probabilities settle after a certain time and reach a value corresponding to the value of the limit probabilities  $p_i^*$ . The results of completed model tests confirm the expected reactions of the model to changes in the values of its parameters. This proves the correctness of the calculations made and the usefulness of the model for making preliminary forecasts of the state of the analyzed system after changing the levels of the impact of the examined factors on the system

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